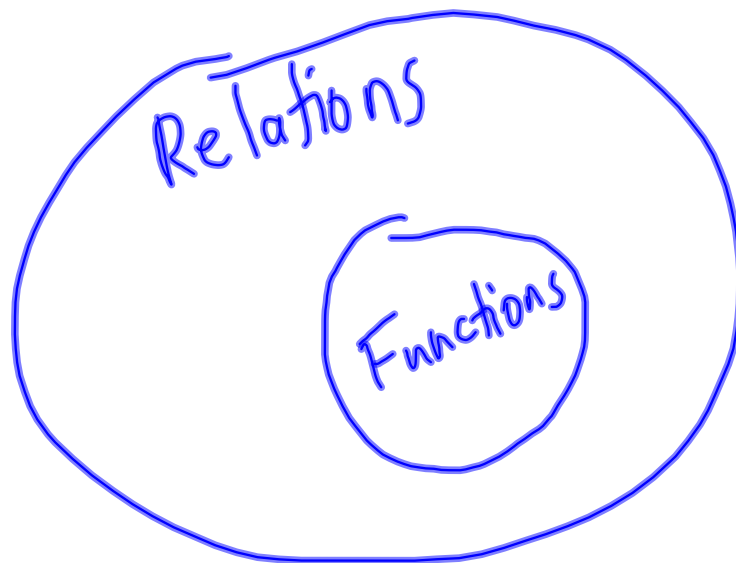


Goal:

- describe and identify a **function** vs a **relation**
- find the **inverse** of a **function**

A **function** is a specific type of **relation**.

A relation is any set of ordered pairs
The relation is what connects x - and
 y -coordinates.



The following are examples of **relations**,
some are **functions** and others are not.

Using set notation:

$\{(0,0), (1,2), (2,4), (3,6)\}$

this relation is a function

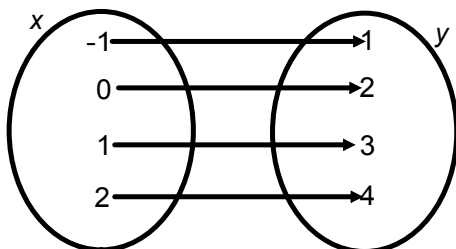
$\{(0,0), (0,2), (0,4), (0,6)\}$

this relation is not a function

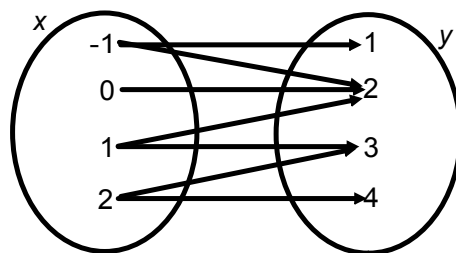
$\{(0,5), (1,5), (2,5), (3,5)\}$

this relation is a function

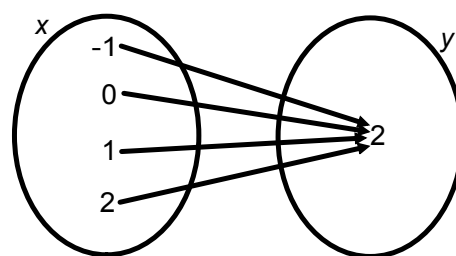
Using mapping:



this relation is a function

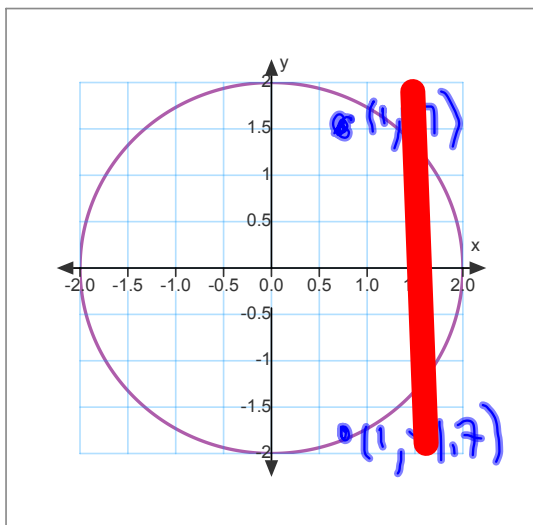


this relation is not a function



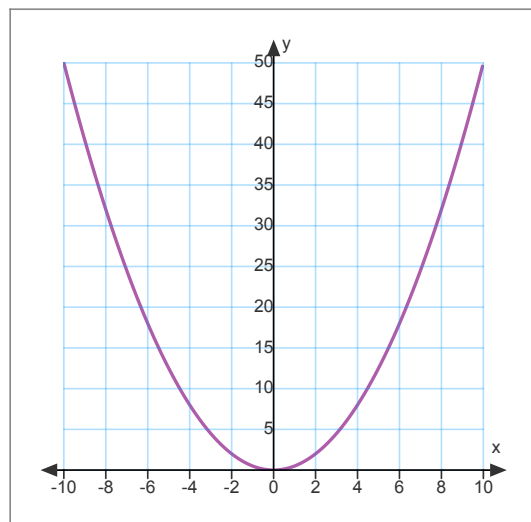
this is relation is a function

Using graphs:



$$x^2 + y^2 = 4$$

this is not a function

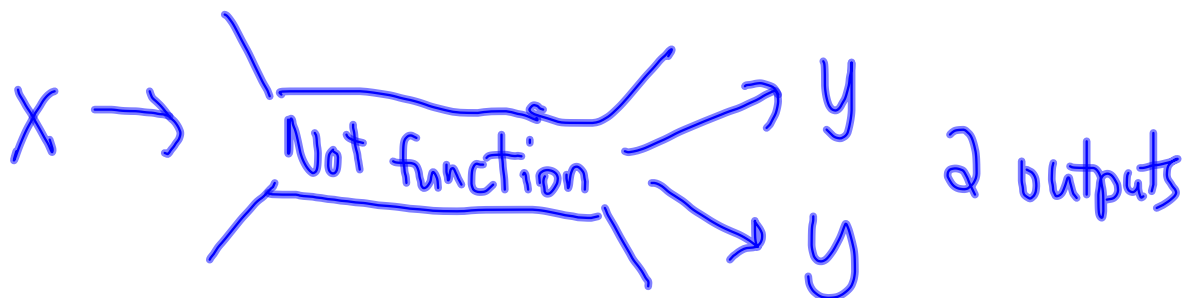
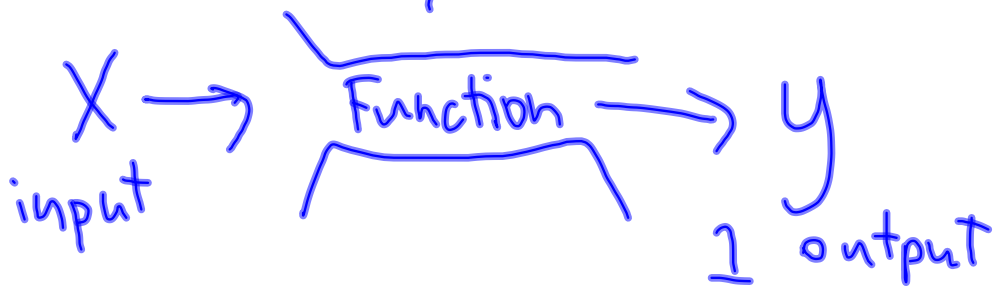


$$y = 0.5x^2$$

this is a function

A **function** is a **relation** where...

each x -coord. corresponds to at most one y -coord.



The simplest method for identifying a function is from a graph.

VERTICAL LINE TEST

Any vertical line will only touch a function once.

The **inverse** of the following **functions** are shown below:

Function: $\{(1,2) (2,4) (3,6)\}$

Inverse: $\{(2,1) (4,2) (6,3)\}$

Function: $\{(0,50) (3,53) (12,62)\}$

Inverse: $\{(50,0) (53,3) (62,12)\}$

Write the set of ordered pairs that represents the inverse of the function shown:

Function: $\{(-5,0) (0,2) (5,4)\}$

Inverse:

$\{(0,-5) (2,0) (4,5)\}$

The **inverse** of a **function** is.... reverses the
x- and y-coordinates.

Homework

p. 9 # 1, 2